



## FORM 4 SPM PHYSICS SHORTHAND NOTES

### Chapter 4 Heat

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#### 4.1 Thermal Equilibrium



To do well in this chapter, you must first understand the difference between temperature and heat. **Temperature** is a numerical measure of hot and cold. It is related to the **average kinetic energy of individual atoms**. The SI unit for temperature is in **Kelvin**. Heat is a form of energy (not a force). Its SI unit is in **Joules** (similar to kinetic and gravitational potential energy). Two facts about heat:

- 1) Heat transfers at a faster rate from a hot (higher temperature) to a cold object (lower temperature).
- 2) Heat transfers slowly from a cold to a hot object.

**Thermal equilibrium** is achieved when **the heat transfer rates from 2 objects are equal**, meaning the net heat transfer is 0 Joules. Two things happen when *thermal equilibrium* is achieved:

- 1) The temperatures of all objects are equal.
- 2) No net gain or loss of energy between the objects.

Which direction does heat transfer to if

A has a higher temperature than B?

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A has a smaller mass but higher temperature than B?

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A has a bigger mass but the same temperature as B?

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A has a greater heat energy but the same temperature as B?

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# Senpai Corner

An application of thermal equilibrium can be seen in the thermometer. A thermometer is an instrument used to measure the temperature. Mercury is usually used because it is

- 1) Opaque: Easier to see.
- 2) Expands and contracts uniformly: Can use scales.
- 3) Does not stick to the glass: Can use scales.
- 4) Good thermal conductivity: Achieves thermal equilibrium at a faster rate.

The sensitivity of a mercury thermometer can be increased by using

- 1) Smaller/ bigger bulb. Increases surface area for heat conduction.
- 2) Glass/ wood bulb. Lower specific heat capacity.
- 3) Narrower/ wider capillary tube. Mercury does not have to expand as much for a small change in temperature.

Steps to calibrate a thermometer

- 1) Placed in ice cube
- 2) Mark  $0^{\circ}\text{C}$
- 3) Place above steam
- 4) Mark  $100^{\circ}\text{C}$
- 5) Divide 100 equal divisions

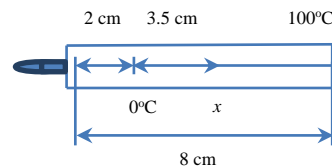
$$\theta = \frac{l_{\theta} - l_0}{l_{100} - l_0} \times 100\text{C}$$

where

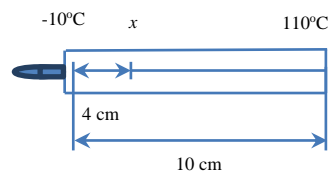
$l_{\theta}$   
= length of mercury column at required temperature

$l_0$  = length of mercury column at lower fixed point

$l_{100}$   
= length of mercury column at upper fixed point



Find the temperature of  $x$ . *Hint: use the formula*



Find the temperature of  $x$ . *Hint: use the formula*

## 4.2 Specific Heat Capacity



**Heat capacity** is defined as **the heat required to change the temperature by 1°C or 1K.**

A lower heat capacity means the object heats up easier. While a higher heat capacity means an object heats slower. You should not confuse temperature with heat. A spoon in hot glass of water may have the same temperature when thermal equilibrium is achieved. However, the amount of heat energy of the hot water in the cup is larger than that on the spoon because the mass of the water is a lot larger!

$$\text{Heat Capacity} = \frac{\text{Thermal energy}}{\text{change in temperature}} = \frac{Q}{\theta}$$

The units for heat capacity are J/celsius.

*Note: In physics, every time you see the word specific, you can change it to per unit mass*

**Specific heat capacity** is defined as **the amount of heat required to change the temperature by 1°C or 1K for a mass of 1kg of the substance.**

$$\begin{aligned} & \text{Specific Heat Capacity, } c \\ & = \frac{\text{Thermal energy}}{\text{change in temperature per unit mass}} = \frac{Q}{\theta m} \end{aligned}$$

The units for specific heat capacity are **J/Celsius per kg.**

Find the specific heat capacity given 3kg of  $x$  with a temperature change from 28°C to 63°C assuming it was supplied with 94500J of heat.

*Hint: 1) Identify  $m$ ,  $C$  and  $\theta$*

*2) Which direction is heat transferring to?*

A 1kW heater is used to heat 250g of water for 1 minute. The temperature of the water changes by 51°C. Calculate the specific heat capacity of water. *Hint: Convert electrical power to heat energy.*

500g of copper @ 90°C placed in 300g of water at 30°C. Assume adiabatic find the final temperature of the water.

*Hint:*

*1) Identify which direction the heat transfer is*

*1) The water gains the heat loss from the copper.*



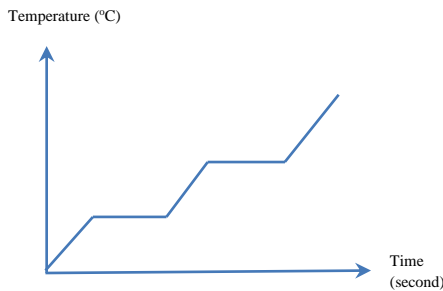
### 4.3 Specific Latent Heat

**Latent heat** is defined as **the thermal energy absorbed or released during constant temperature.**

As more heat is applied, the temperature stops rising and the heat energy breaks intermolecular forces.

Latent heat of fusion – solid  $\rightarrow$  liquid

Latent heat of vaporization – liquid  $\rightarrow$  gas



Amount of heat required to change 1kg of substance at constant temperature

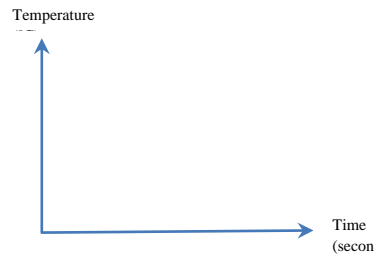
$$\text{Specific Latent Heat, } l = \frac{\text{heat}}{\text{per unit mass}} = \frac{Q}{m}$$

The units for specific latent heat are **Joules per kg**

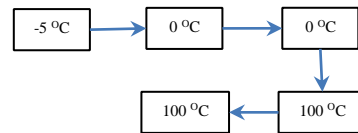
- Specific latent heat of fusion is the *heat* required to change 1kg of substance from *solid to liquid without changing the temperature.*

2) \_\_\_\_\_  
 \_\_\_\_\_  
 \_\_\_\_\_  
 \_\_\_\_\_

Do this in reverse from Boiling to freezing



Calculate the total heat to change 1kg of ice to steam. *Hint: The diagram below might help to visualize the problem.*



$$C_{\text{water}} = 4200 \text{ Jkg}^{-1}\text{C}^{-1}$$

$$C_{\text{ice}} = 2100 \text{ Jkg}^{-1}\text{C}^{-1}$$

$$\text{Specific latent heat of fusion} = 3.36 \times 10^5 \text{ Jkg}^{-1}$$

$$\text{Specific latent heat of vaporization} = 2.26 \times 10^6 \text{ Jkg}^{-1}$$



## 4.4 The 3 Gas Laws

### 1) Boyle's Law

Temperature is constant,  $pressure \propto \frac{1}{Volume}$  for a fixed gas mass.

Remember that there must be a constant between two variables to be proportional (in this case, pressure and the inverse of volume).

$$P_1 = \frac{k}{V_1}$$

$k$  is called the constant of proportionality (Imagine that  $k$  is the slope between the two variables). If the volume  $V_1$  is changed to  $V_2$ , the  $P$  value must also change following the constant.

$$P_1 V_1 = P_2 V_2$$

Again rearranging

$$\frac{P_1}{P_2} = \frac{V_2}{V_1}$$

### 2) Charles Law

Pressure is constant,  $volume \propto temperature$  for a fix mass of gas.

**Important: Always use the units in Kelvin for temperature involving the 3 Laws.**

To convert °C to K, always add 273:

$$K = T \text{ in Celsius} + 273$$

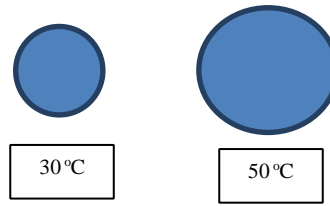
For example

$$0^\circ\text{C} \Rightarrow 273 \text{ K}$$

$$100^\circ\text{C} \Rightarrow 373 \text{ K}$$

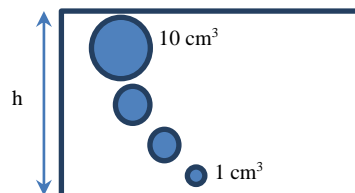
### 3) Pressure Law

Volume is constant,  $pressure \propto temperature$  for a fix mass of gas



What is the final volume of the ball if its initial volume is 20 cm<sup>3</sup>?

A tyre has air pressure 23 kPa when the temperature is 27°C. What is the pressure of the tyre if the temperature is increased to 57 °C?



Find the height of the aquarium,  $h$  if 1 atm = 10 m

